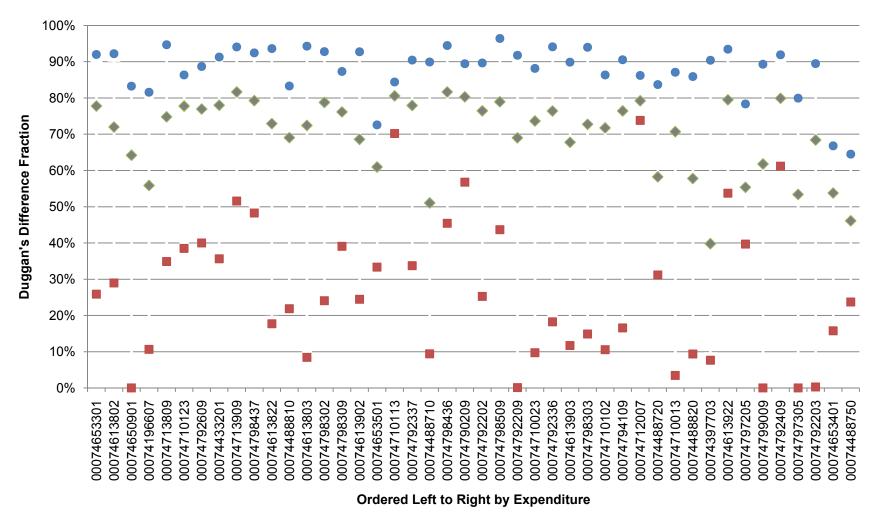
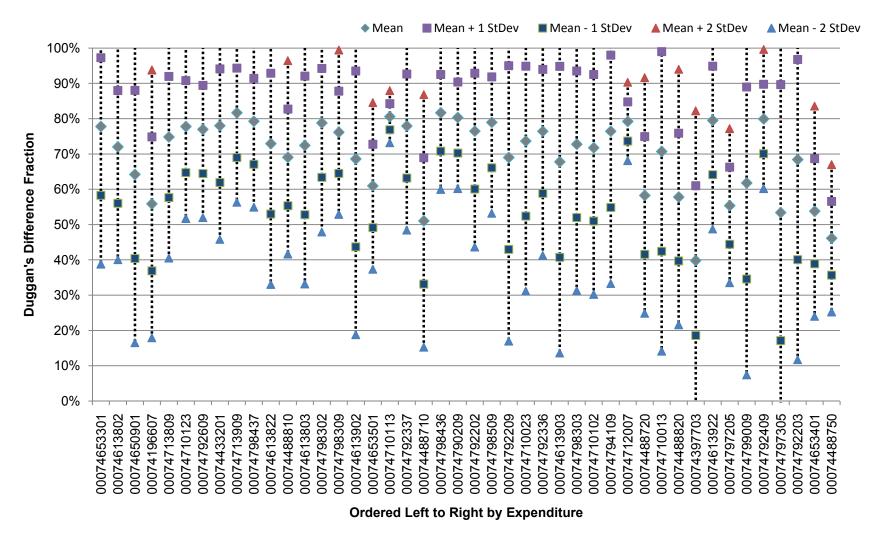


Min

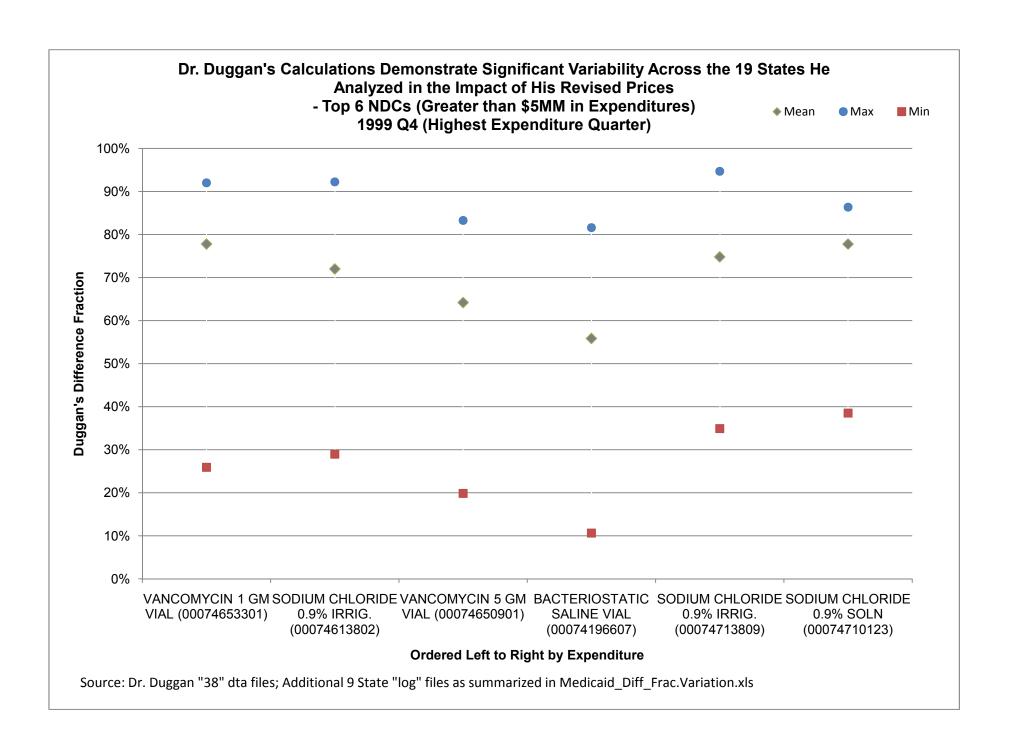


Source: Dr. Duggan "38" dta files; Additional 9 State "log" files as summarized in Medicaid_Diff_Frac.Variation.xls

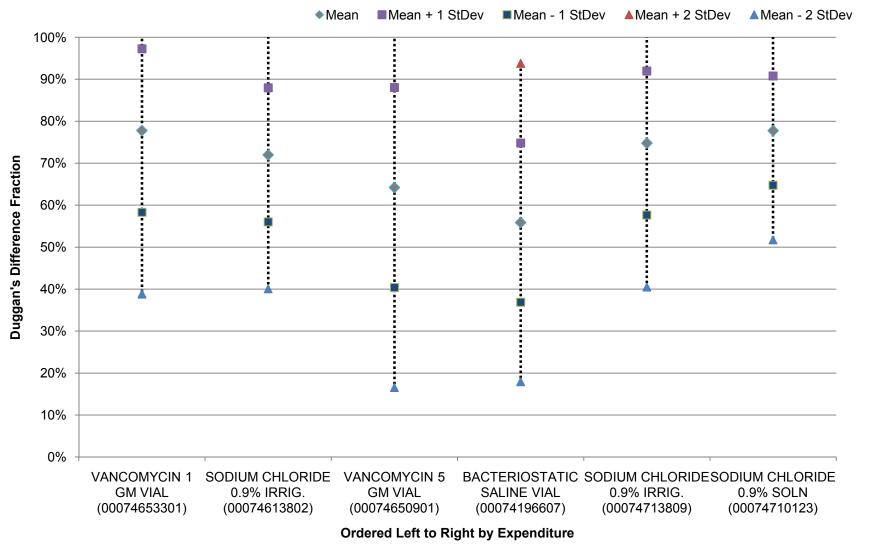
Standard Deviation of Difference Fractions Across the 19 States Dr. Duggan Analyzed 1999 Q4 (Highest Expenditure Period)



Source: Dr. Duggan "38" dta files; Additional 9 State "log" files as summarized in Medicaid_Diff_Frac.Variation.xls

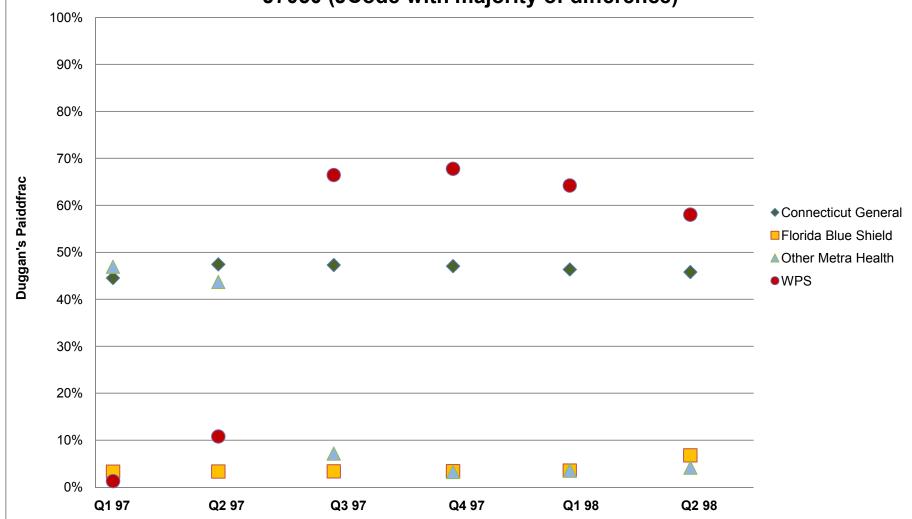


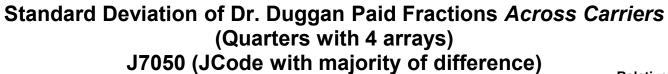
Standard Deviation of Difference Fractions Across the 19 States Dr. Duggan Analyzed - Top 6 NDCs (Greater than \$5MM in Expenditures) 1999 Q4 (Highest Expenditure Quarter)

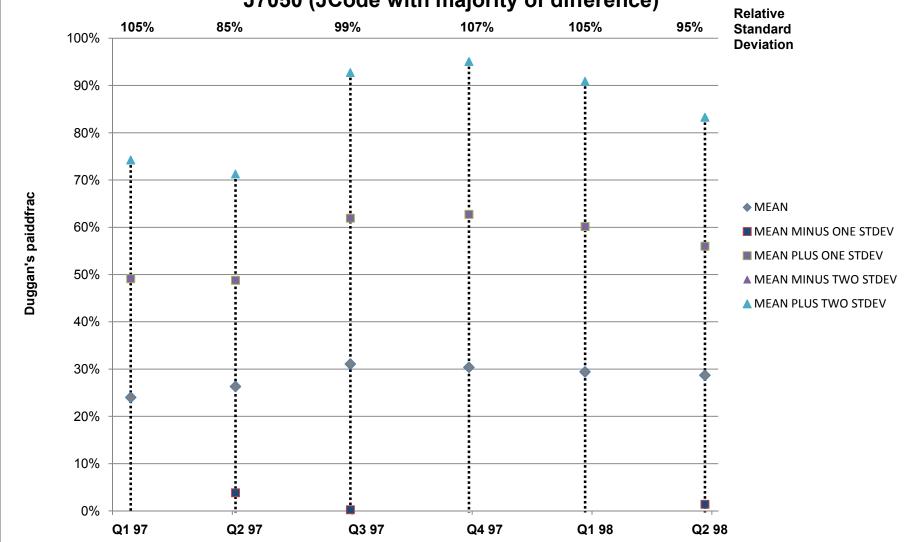


Source: Dr. Duggan "38" dta files; Additional 9 State "log" files as summarized in Medicaid Diff Frac. Variation.xls

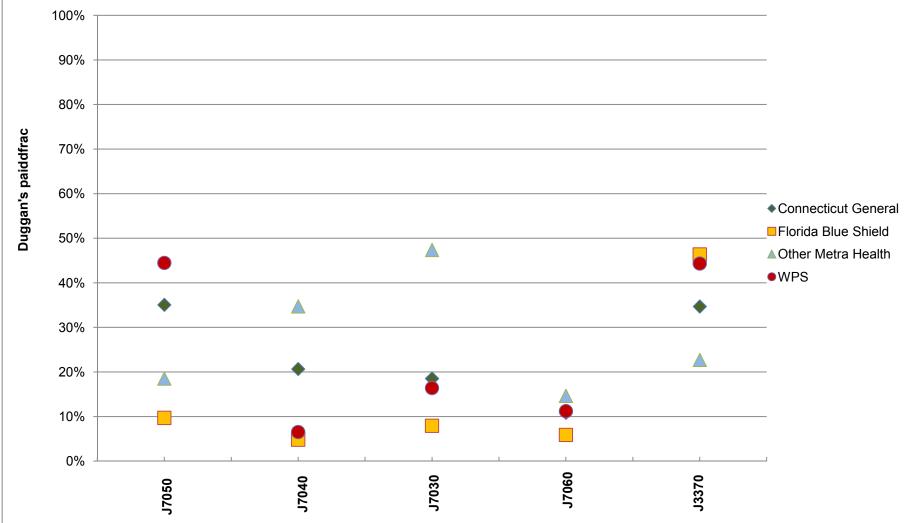






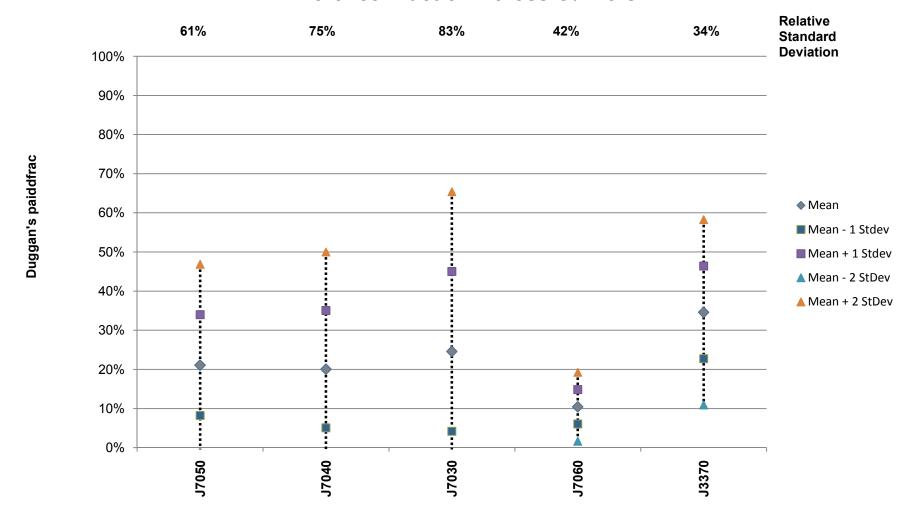




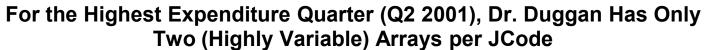


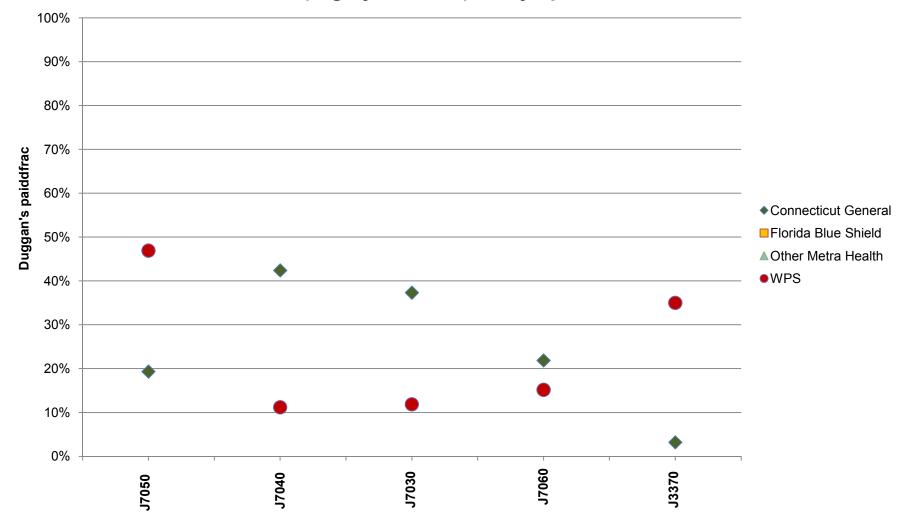
Ordered left to right by highest expenditure.

Standard Deviation of Dr. Duggan Weighted Average Difference Fraction *Across Carriers*



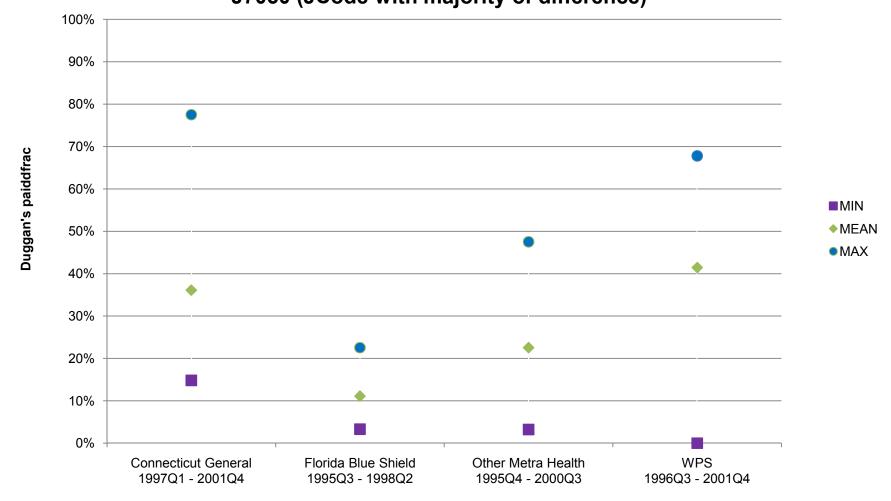
Ordered left to right by highest expenditure.



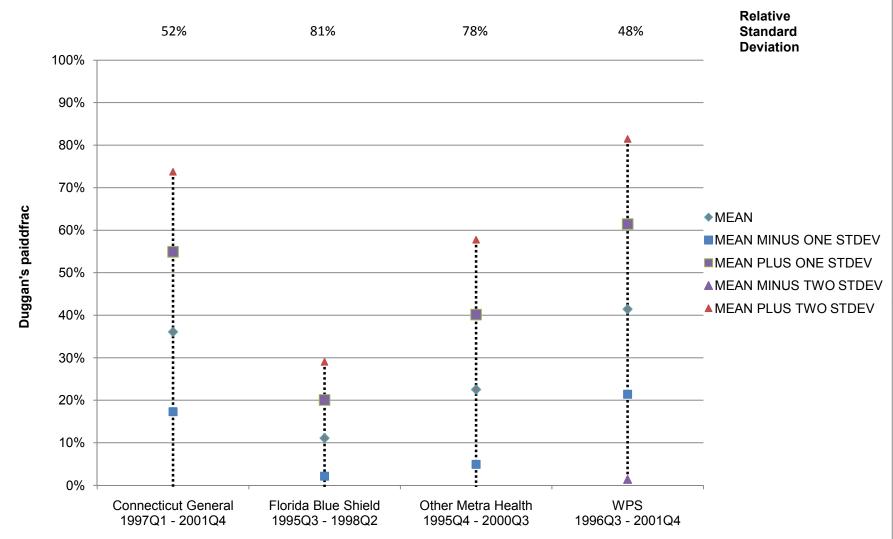


Ordered left to right by highest expenditure.

Dr. Duggan's Calculations Demonstrate There is No Consistent Pattern *Within Carriers* Across Time in the Impact of His Revised Prices J7050 (JCode with majority of difference)







Standard Deviation of Dr. Duggan's Difference Fractions

- Under Dr. Duggan's analysis, there are difference fractions for each State-NDC-quarter (Medicaid) and each
 Carrier-J-Code-quarter (Medicare) for which Dr. Duggan performed a "claim-by-claim" difference analysis.
- The difference fractions show the percentage difference in reimbursements that allegedly would have occurred
 using his but-for Average Selling Prices across those States and Carriers where he performed a claim-by-claim
 analysis.
 - Example: \$10,000 difference divided by \$20,000 in reimbursements = 50% difference fraction.
- Because Dr. Duggan uses the same but-for Average Selling Prices across States and Carriers, variability in the difference fractions informs us about the variability in how reported prices impacted payments across States and Carriers.
 - If the impact of reported prices across States and Carriers is roughly the **same**, then we would expect the calculated difference fractions to also be roughly the same. Such a situation would yield low Standard Deviations and low Relative Standard Deviations in the difference fractions across States and Carriers.
 - If the impact of reported prices across States and Carriers is *variable*, then we would expect the calculated difference fractions to vary. Such a situation would yield higher Standard Deviations and higher Relative Standard Deviations in the difference fractions across States and Carriers.
- The *difference fractions* Dr. Duggan computes from his "samples" of States and Carriers serve as the *foundation* of his *extrapolations* to other States and Carriers. *Substantial variation in Dr. Duggan's difference fractions reduces the precision and reliability of his findings.*
- Substantial variation in Dr. Duggan's difference fractions **emphasizes the importance of using valid samples** which are random and representative of all claims being analyzed.



Standard Deviation

- Widely used measure of the variability or dispersion of data points.
- Tells us how far from the mean the data points tend to be. Assuming a normal distribution, 68% of the data points will be +/- 1 Standard Deviation from the mean and 95% of the data points will be +/- 2
 Standard Deviations from the mean.
- A large Standard Deviation indicates that the data points are far from the mean. A small Standard Deviation indicates that they are clustered closely around the mean.
- Example:
 - Population one = 0, 0, 14, 14; Population two = 0, 6, 8, 14; Population three = 6, 6, 8, 8.
 - Each has a mean of 7, but the standard deviations are much different 7, 5 and 1, respectively.
- Standard Deviation may be used in evaluating the reliability of an estimate.
- Relative Standard Deviation
 - Standard Deviation divided by the mean.
 - States, as a percentage, the distance of one Standard Variation from the mean.
 - Example: Standard Deviation of 15 on a mean value of 40 = 37.5% Relative Standard Deviation.